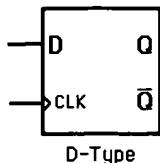
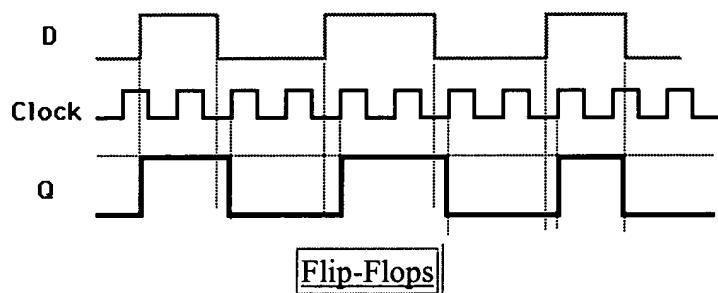


# Example Output: Clocked D Flip-Flop



The D flip-flop tries to follow the input D but cannot make the required transitions unless it is enabled by the clock. Note that if the clock is low when a transition in D occurs, the tracking transition in Q occurs at the next upward transition of the clock.

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When  $R=1$ , the next clock pulse clears the flip-flop. When  $S=1$ , the flip-flop output  $Q$  is set to 1. The equation mark (?) for the next state when  $S$  and  $R$  are both equal to 1 designates an indeterminate next state.

The characteristic table for the JK flip-flop is the same as that of the RS when  $J$  and  $K$  are replaced by  $S$  and  $R$  respectively, except for the indeterminate case. When both  $J$  and  $K$  are equal to 1, the next state is equal to the complement of the present state, that is,  $Q(\text{next}) = Q'$ .

The next state of the D flip-flop is completely dependent on the input  $D$  and independent of the present state.

The next state for the T flip-flop is the same as the present state  $Q$  if  $T=0$  and complemented if  $T=1$ .

The characteristic table is useful during the analysis of sequential circuits when the value of flip-flop inputs are known and we want to find the value of the flip-flop output  $Q$  after the rising edge of the clock signal. As with any other truth table, we can use the map method to derive the characteristic equation for each flip-flop, which are shown in the third column of Table 1.

During the design process we usually know the transition from present state to the next state and wish to find the flip-flop input conditions that will cause the required transition. For this reason we will need a table that lists the required inputs for a given change of state. Such a list is called the **excitation table**, which is shown in the fourth column of Table 1. There are four possible transitions from present state to the next state. The required input conditions are derived from the information available in the characteristic table. The symbol X in the table represents a "don't care" condition, that is, it does not matter whether the input is 1 or 0.

### Short Quiz



# Summary of the Types of Flip-flop Behaviour

Since memory elements in sequential circuits are usually flip-flops, it is worth summarising the behaviour of various flip-flop types before proceeding further.

All flip-flops can be divided into four basic types: **SR**, **JK**, **D** and **T**. They differ in the number of inputs and in the response invoked by different value of input signals. The four types of flip-flops are defined in Table 1.

Table 1. Flip-flop Types

FLIP-FLOP NAME	FLIP-FLOP SYMBOL	CHARACTERISTIC TABLE	CHARACTERISTIC EQUATION	EXCITATION TABLE																																			
SR		<table border="1"> <thead> <tr> <th>S</th><th>R</th><th>Q(next)</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td><td>Q</td></tr> <tr><td>0</td><td>1</td><td>0</td></tr> <tr><td>1</td><td>0</td><td>1</td></tr> <tr><td>1</td><td>1</td><td>?</td></tr> </tbody> </table>	S	R	Q(next)	0	0	Q	0	1	0	1	0	1	1	1	?	$Q_{(next)} = S + R'Q$ $SR = 0$	<table border="1"> <thead> <tr> <th>Q</th><th>Q(next)</th><th>S</th><th>R</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td><td>0</td><td>X</td></tr> <tr><td>0</td><td>1</td><td>1</td><td>0</td></tr> <tr><td>1</td><td>0</td><td>0</td><td>1</td></tr> <tr><td>1</td><td>1</td><td>X</td><td>0</td></tr> </tbody> </table>	Q	Q(next)	S	R	0	0	0	X	0	1	1	0	1	0	0	1	1	1	X	0
S	R	Q(next)																																					
0	0	Q																																					
0	1	0																																					
1	0	1																																					
1	1	?																																					
Q	Q(next)	S	R																																				
0	0	0	X																																				
0	1	1	0																																				
1	0	0	1																																				
1	1	X	0																																				
JK		<table border="1"> <thead> <tr> <th>J</th><th>K</th><th>Q(next)</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td><td>Q</td></tr> <tr><td>0</td><td>1</td><td>0</td></tr> <tr><td>1</td><td>0</td><td>1</td></tr> <tr><td>1</td><td>1</td><td>Q'</td></tr> </tbody> </table>	J	K	Q(next)	0	0	Q	0	1	0	1	0	1	1	1	Q'	$Q_{(next)} = JQ' + K'Q$	<table border="1"> <thead> <tr> <th>Q</th><th>Q(next)</th><th>J</th><th>K</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td><td>0</td><td>X</td></tr> <tr><td>0</td><td>1</td><td>1</td><td>X</td></tr> <tr><td>1</td><td>0</td><td>X</td><td>1</td></tr> <tr><td>1</td><td>1</td><td>X</td><td>0</td></tr> </tbody> </table>	Q	Q(next)	J	K	0	0	0	X	0	1	1	X	1	0	X	1	1	1	X	0
J	K	Q(next)																																					
0	0	Q																																					
0	1	0																																					
1	0	1																																					
1	1	Q'																																					
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0	0	0	X																																				
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1	0	X	1																																				
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D		<table border="1"> <thead> <tr> <th>D</th><th>Q(next)</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td></tr> <tr><td>1</td><td>1</td></tr> </tbody> </table>	D	Q(next)	0	0	1	1	$Q_{(next)} = D$	<table border="1"> <thead> <tr> <th>Q</th><th>Q(next)</th><th>D</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td><td>0</td></tr> <tr><td>0</td><td>1</td><td>1</td></tr> <tr><td>1</td><td>0</td><td>0</td></tr> <tr><td>1</td><td>1</td><td>1</td></tr> </tbody> </table>	Q	Q(next)	D	0	0	0	0	1	1	1	0	0	1	1	1														
D	Q(next)																																						
0	0																																						
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Q	Q(next)	D																																					
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T		<table border="1"> <thead> <tr> <th>T</th><th>Q(next)</th></tr> </thead> <tbody> <tr><td>0</td><td>Q</td></tr> <tr><td>1</td><td>Q'</td></tr> </tbody> </table>	T	Q(next)	0	Q	1	Q'	$Q_{(next)} = TQ' + T'Q$	<table border="1"> <thead> <tr> <th>Q</th><th>Q(next)</th><th>T</th></tr> </thead> <tbody> <tr><td>0</td><td>0</td><td>0</td></tr> <tr><td>0</td><td>1</td><td>1</td></tr> <tr><td>1</td><td>0</td><td>1</td></tr> <tr><td>1</td><td>1</td><td>0</td></tr> </tbody> </table>	Q	Q(next)	T	0	0	0	0	1	1	1	0	1	1	1	0														
T	Q(next)																																						
0	Q																																						
1	Q'																																						
Q	Q(next)	T																																					
0	0	0																																					
0	1	1																																					
1	0	1																																					
1	1	0																																					

Each of these flip-flops can be uniquely described by its graphical symbol, its characteristic table, its characteristic equation or excitation table. All flip-flops have output signals **Q** and **Q'**.

The **characteristic table** in the third column of Table 1 defines the state of each flip-flop as a function of its inputs and previous state. **Q** refers to the present state and **Q(next)** refers to the next state after the occurrence of the clock pulse. The characteristic table for the RS flip-flop shows that the next state is equal to the present state when both inputs **S** and **R** are equal to 0.